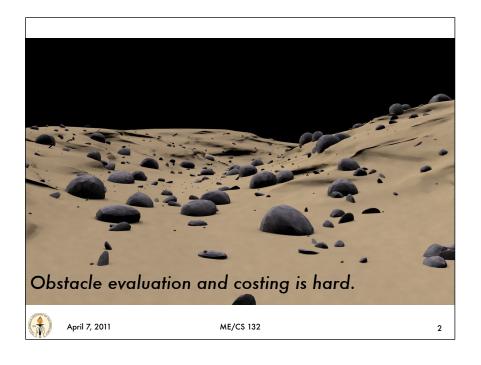
Obstacles and Cost

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What are Obstacles?

Obstacles can generally be viewed as vehicle mobility hazards

Tip-Over

High-Centering

Collision

Traction Loss

Chassis interaction w/ environment



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Obstacles and Cost Lecture Outline

Configuration Space Obstacles

Continuum Representations

Applications

Current and Active Research

Covers topics in Chapters 4, 5, and 7 in S. LaValle's Planning Algorithms



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Configuration Space Obstacles



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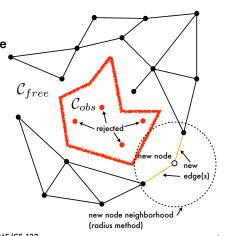
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Configuration Space Obstacles

The obstacle configuration space \mathcal{C}_{obs} represents an inaccessible region of the robot configuration space

In sampling-based planners configurations or states in \mathcal{C}_{obs} are rejected





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Computing \mathcal{C}_{obs}

When

$$\mathcal{C} = \mathbb{R}^n$$
 translation only $1 \leq n \leq 3$

The obstacle region can be computed by convolution

$$X,Y\in\mathbf{R}^n$$
 vector subtraction
$$X\ominus Y=\{x-y\in\mathbb{R}|x\in X,y\in Y\}$$

$$\mathcal{C}_{obs}=\mathcal{O}\ominus\mathcal{A}(0)$$



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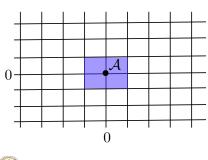
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An example of computing $\,\mathcal{C}_{obs}$

$$A = ([-1,1],[-1,1])$$

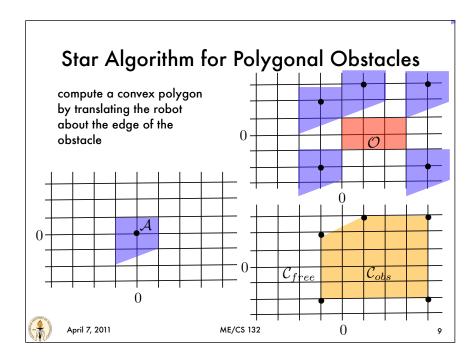
$$\mathcal{O}=\left(\left[0,3\right],\left[0,2\right]\right)$$

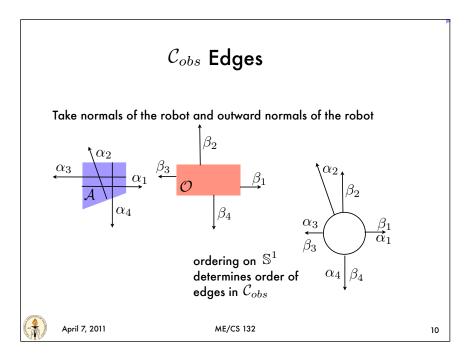
$$C_{obs} = ([-1, 4], [-1, 3])$$

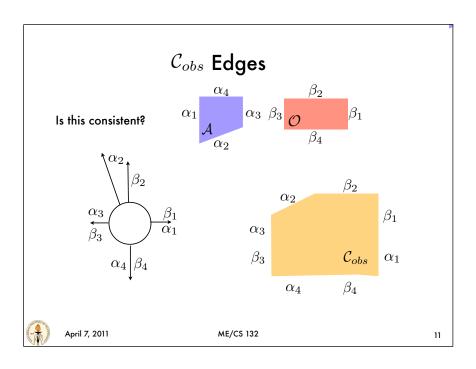


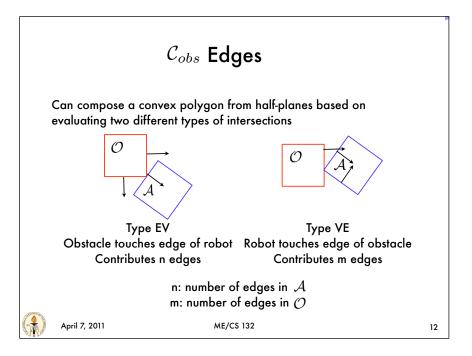
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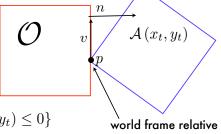
\mathcal{C}_{obs} Edges

Use the edge and the point of intersection to compute the half-plane \boldsymbol{H}

$$p\left(x_{t}, y_{t}\right) = \left(p_{x} + x_{t}, p_{y} + y_{t}\right)$$

$$n \cdot v = 0$$

$$f\left(x_{t}, y_{t}\right) = n \cdot v\left(x_{t}, y_{t}\right)$$



$$H = \{(x_t, y_t) \in \mathcal{C} | f(x_t, y_t) \le 0\}$$

to ${\cal A}$

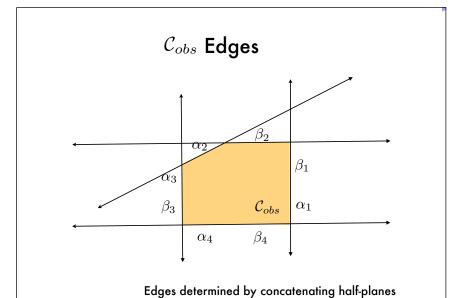


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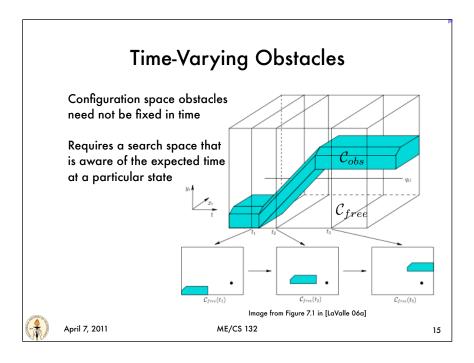
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Continuous Representations



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Continuous Cost Representations

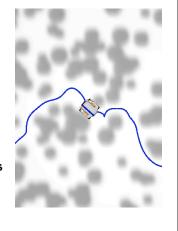
Obstacles are not always binary

Associated cost values with proximity to hazards

Terrain Features Tip-Over Loss of Traction

Important in off-road environments

Cost functional used in trajectory planning



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max |slope| $\theta = 45^{\circ}, 225^{\circ}$

Continuous Cost Representations

Obstacles are not always polygonal

min |slope| $\theta = 135^{\circ}, 315^{\circ}$

Sample trajectory cost

Approximate shape

Orientation dependent cost functions

Vehicle dependent

Sample in 3D and store worst case in extra dimension to get back to 2D

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elevation map



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Applications

Autonomous Navigation



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Research Topics

Learning Cost from Demonstration



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Learning Cost from Demonstration

[Silver10a] demonstrates learning the mapping between terrain features and mobility cost by training the system with expert paths

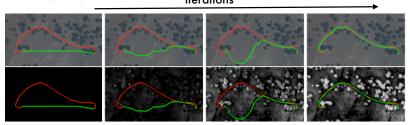


Image from Figure 5 in [Silver 10a]

expert path path planned -



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Summary

Obstacle representation and costing is often the medium between planning and perception

Methods exist for explicitly computing configuration spaces for polygonal robots and obstacles

Binary (obstacle/free) representations of space disallow configuration or state in those regions

Continuous representations of obstacle associate risk with configuration or state space that is weighted with mobility costs



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Next Lecture (4/12)

Search Algorithms I

Breadth First Search

Depth First Search

Dijkstra

Α*



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Document/Image References

[Silver 10a] D. Silver, D. Bagnell, and A. Stentz,
"Learning from Demonstration for Autonomous
Navigation in Complex Unstructured Terrain,"
International Journal of Robotics Research, Vol. 29,
No. 12, October, 2010, pp. 1565 - 1592.

[LaValle 06a] S. LaValle, "Planning Algorithms". Cambridge: Cambridge University Press. ISBN 0521862051.



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